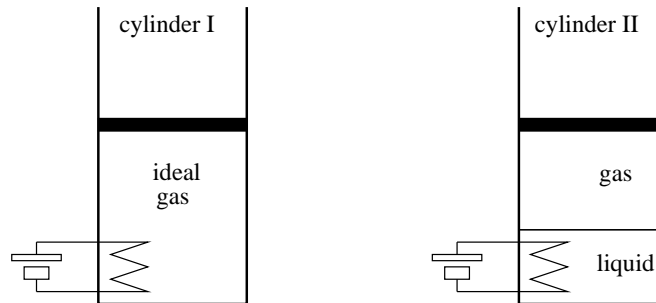


[tex159] Effects of heat input

Identical cylinders I and II with insulating, rigid walls are capped by insulating disks. The pressure in each cylinder is stabilized at a constant value by the weight of the cap, which can move up or down with no wall friction.

(a) Cylinder I contains 1mol of a monatomic classical ideal gas [ $pV = RT$ ,  $U(T) = \frac{3}{2}RT$ ]. The gas is initially in thermal equilibrium at pressure  $p_0$ , temperature  $T_0$ , and volume  $V_0$ . Now we inject an amount  $\Delta Q$  of heat via a heating coil. The system equilibrates at pressure  $p_0$ , temperature  $T_1 = T_0 + \Delta T$  and volume  $V_1 = V_0 + \Delta V$ . Find the changes  $\Delta T$  and  $\Delta V$  as functions of  $\Delta Q$ .

(b) Cylinder II contains a simple substance in coexisting gaseous and liquid phases with mass densities  $\rho_g$  and  $\rho_l$ , respectively. The latent heat of evaporation (per unit mass) is  $L$ . The initial thermal equilibrium state is specified by pressure  $p_0$ , temperature  $T_0$ , total volume  $V_0$ , gaseous mass  $m_0^{(g)}$ , and liquid mass  $m_0^{(l)}$ . We again inject an amount  $\Delta Q$  of heat via a heating coil, here small enough that both phases are still present when a new equilibrium has been reached at pressure  $p_0$ , temperature  $T_1 = T_0 + \Delta T$ , volume  $V_1 = V_0 + \Delta V$ , and masses  $m_1^{(g)} = m_0^{(g)} + \Delta m$ ,  $m_1^{(l)} = m_0^{(l)} - \Delta m$ . Find the changes  $\Delta T$ ,  $\Delta V$ , and  $\Delta m$  as functions of  $\Delta Q$ .



**Solution:**